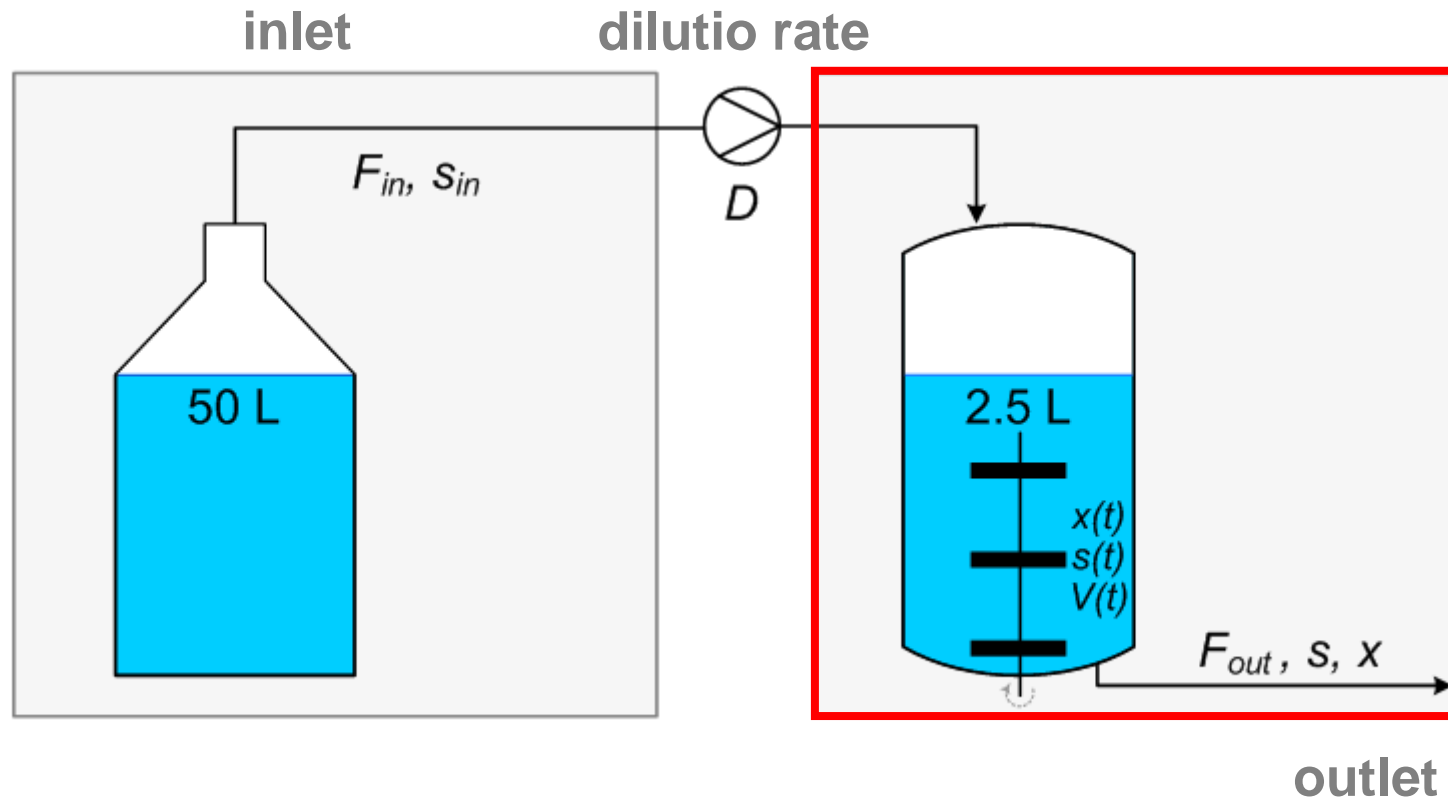


simulation

- **culture modes**
- **mass balance equation (= modelling)**
- **what-if analyses (= simulation)**

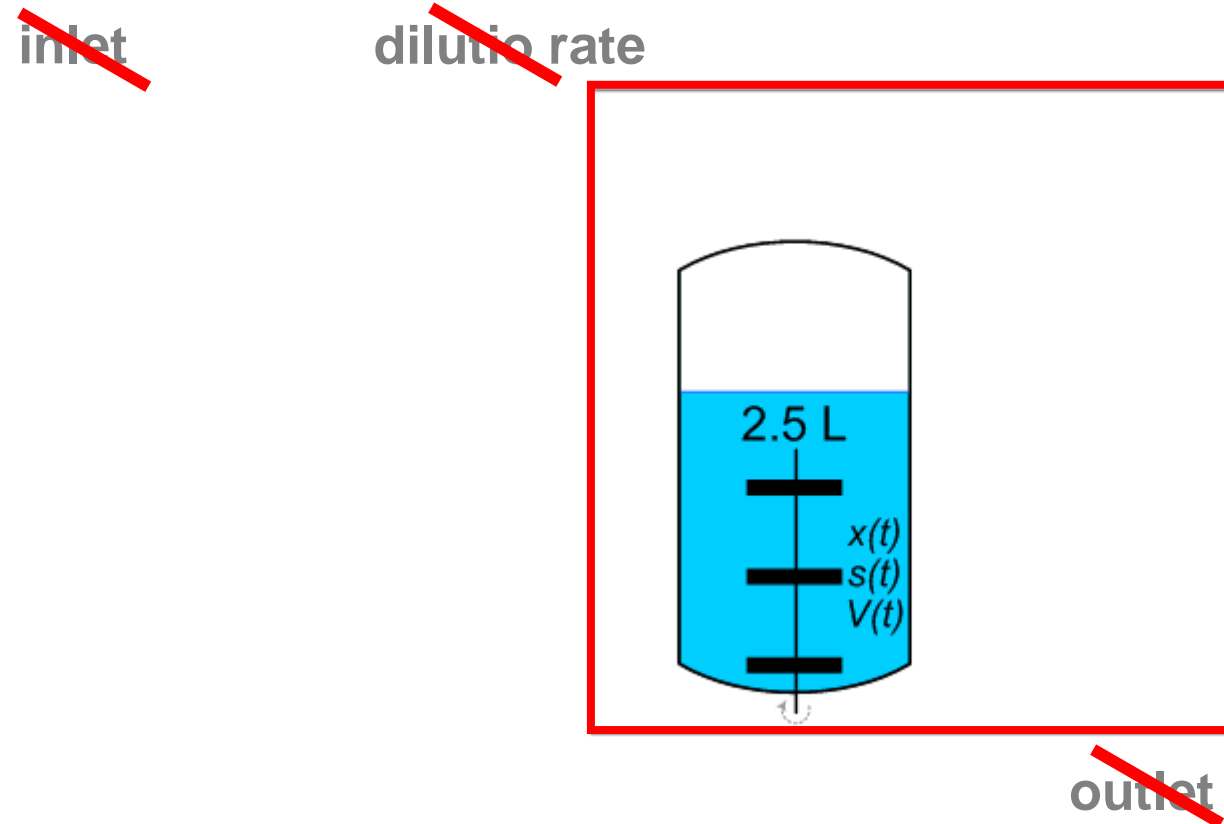
continuous culture – CSTR



mass change = inlet – outlet + reaction

$$\frac{d}{dt}(c_i \cdot V) = F_{in}(t) \cdot c_{i,in}(t) - F_{out}(t) \cdot c_{i,out}(t) + r_i(t) \cdot V(t)$$

batch culture



mass change = reaction

$$\frac{d}{dt}(c_i \cdot V) = r_i(t) \cdot V(t)$$

batch model

$$\frac{d}{dt}(c_i \cdot V) = F_{in}(t) \cdot c_{i,in}(t) - F_{out}(t) \cdot c_{i,out}(t) + r_i(t) \cdot V(t)$$

$$\frac{d}{dt}c_i = r_i(t)$$

$$x(t) = x_0 \cdot e^{(\mu_{max} - k_d) \cdot t}$$

$$\left[g L^{-1} = g L^{-1} \ 1 \right]$$

$$t = \frac{1}{\mu_{max}} \cdot \ln\left(\frac{x(t)}{x_0}\right) - t_0$$

$$\frac{d}{dt}(c_j \cdot V) = F_{in}(t) \cdot c_{i,in}(t) - F_{out}(t) \cdot c_{i,out}(t) + r_j(t) \cdot V(t) \quad \mathbf{1}$$

■
■
■ ?
■

$$\frac{d}{dt} c_j = r_j(t) \quad \mathbf{2 \text{ (batch, } V=\text{const.)}}$$

■
■ ? (integration)
■

$$x(t) = x_0 \cdot e^{\mu_{max} \cdot t} \quad \mathbf{3}$$

$$\left[g L^{-1} = g L^{-1} \mathbf{1} \right] \quad \mathbf{5}$$

■
■ ?
■

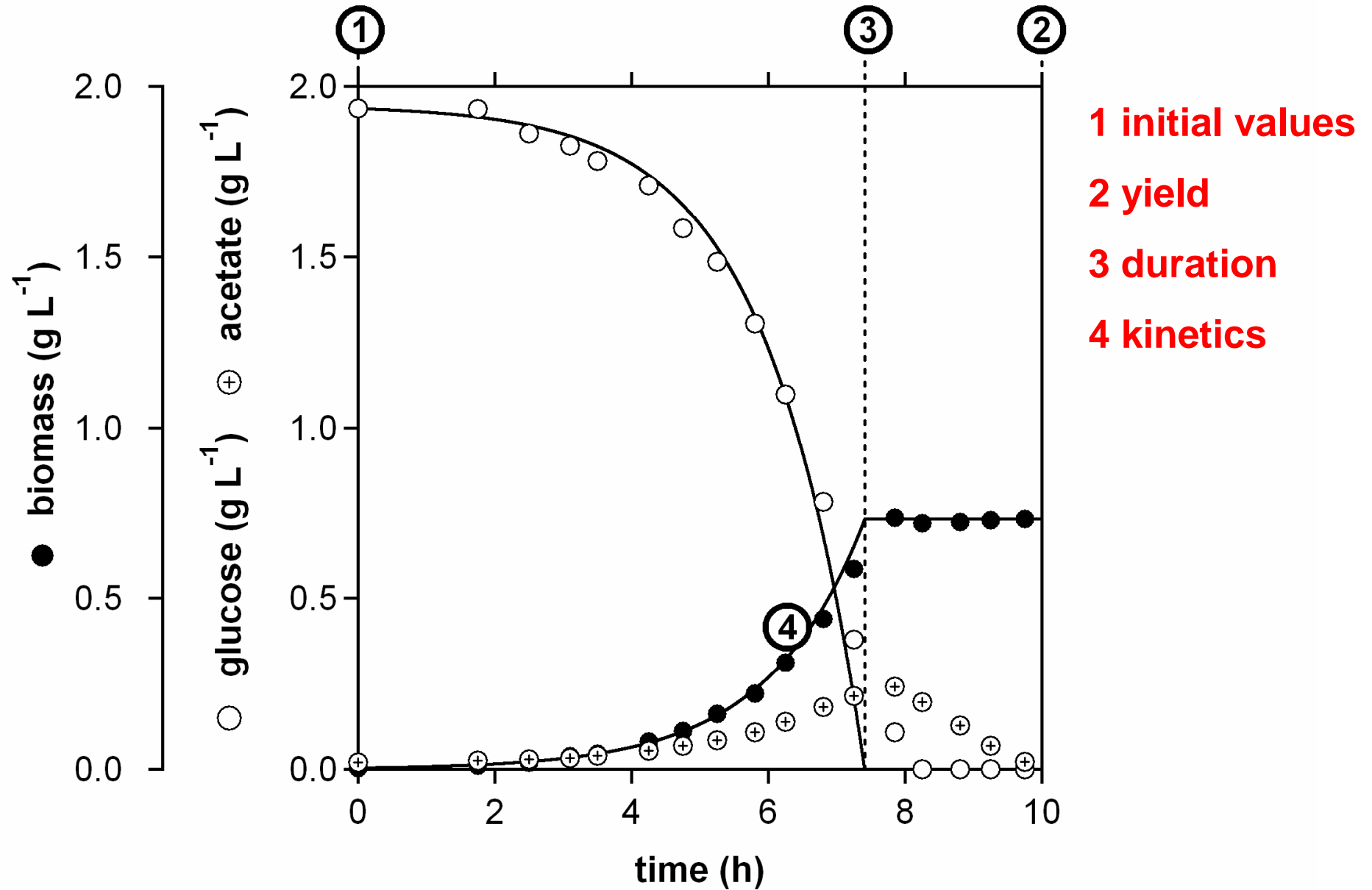
$$t = \frac{1}{\mu_{max}} \cdot \ln\left(\frac{x(t)}{x_0}\right) - t_0 \quad \mathbf{4}$$

mathematical models

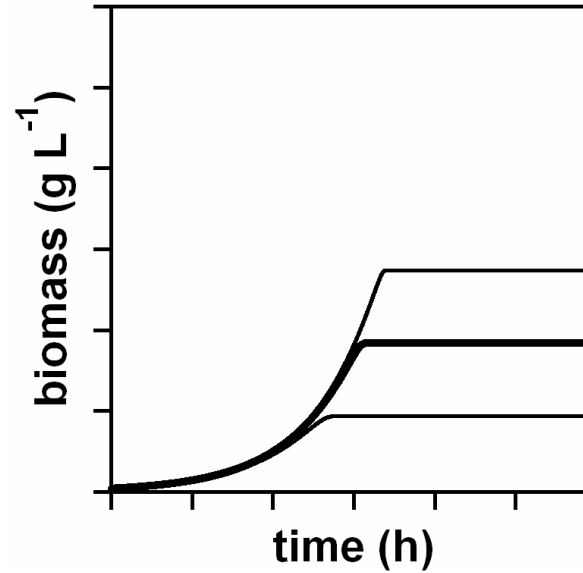
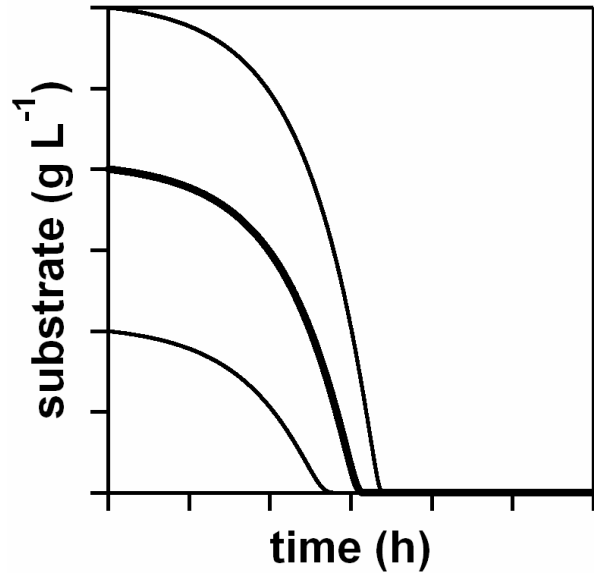


Plan your experiment (time spent in lab)!
Study the influence factors ,*in silico*‘!

state variables – batch culture



mathematical model – batch culture



$$\frac{d}{dt} x = \mu(t) \cdot x(t)$$

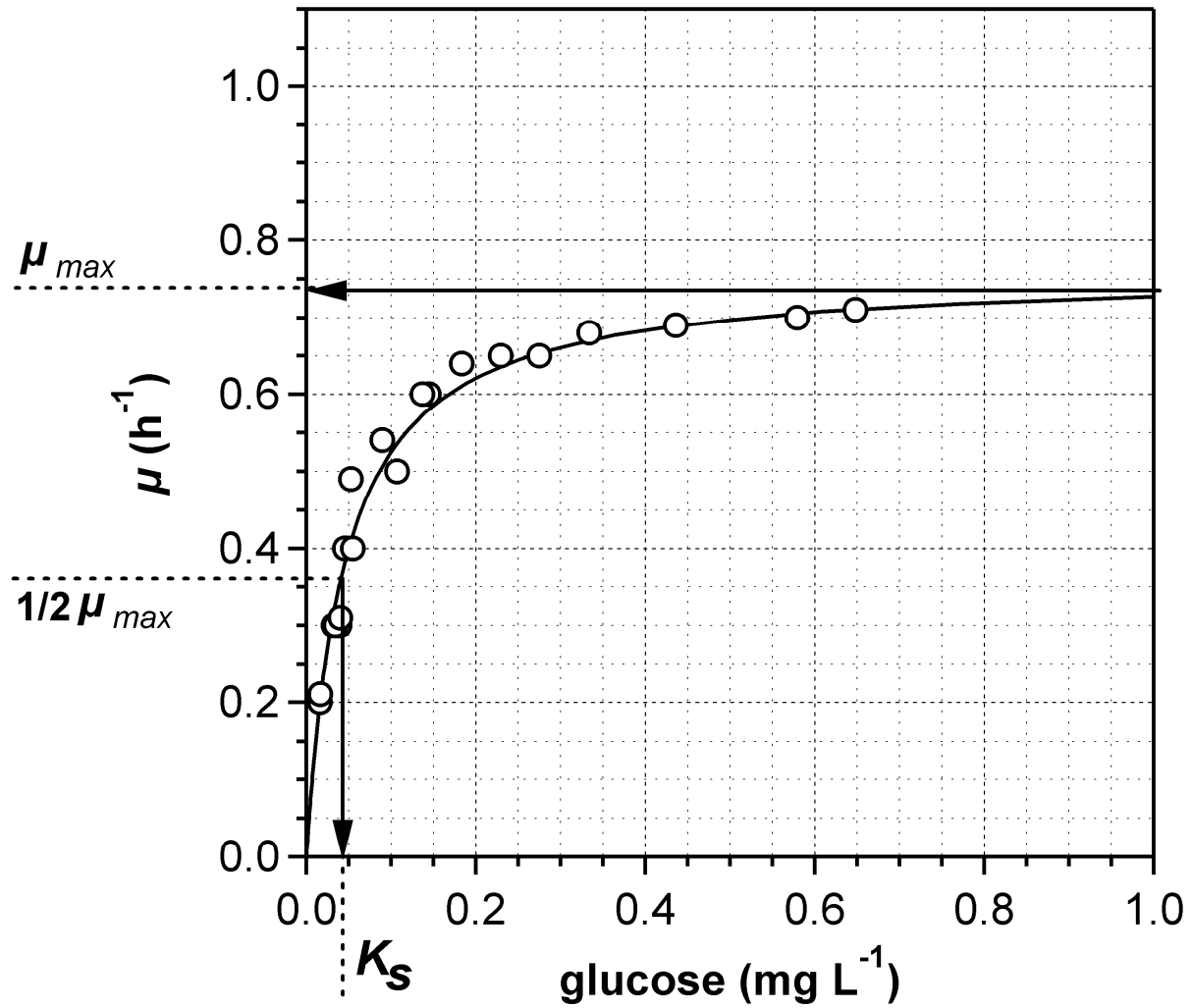
$$\frac{d}{dt} s = -\frac{1}{Y_{x/s}} \cdot \mu(t) \cdot x(t)$$

differential eqs.

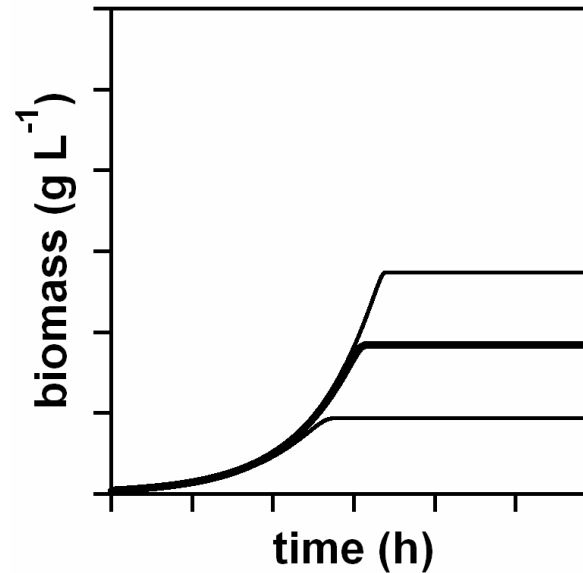
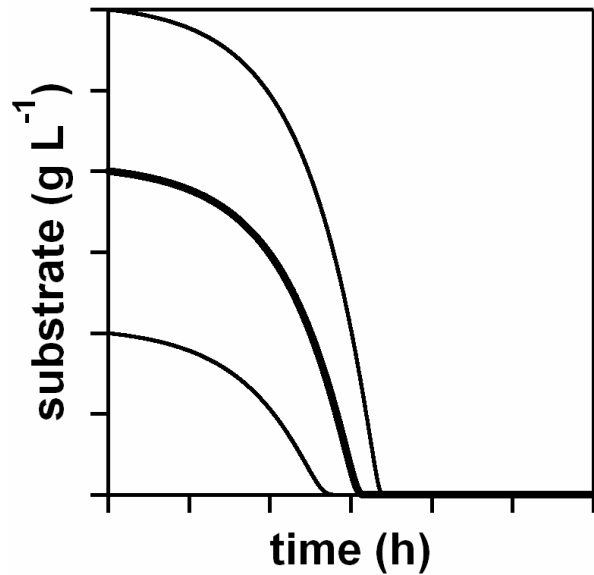
$$\mu(s,t) = \mu_{max} \cdot \frac{s(t)}{s(t) + K_S}$$

Monod kinetics

$\mu=f(s)$ or $\mu=f(q_s)$ – Monod equation



algebraic equations – batch culture



$$\frac{d}{dt}s = -\frac{1}{Y_{x/s}} \cdot \mu(t) \cdot x(t)$$

$$\frac{d}{dt}x = \mu(t) \cdot x(t)$$

differential eqs.

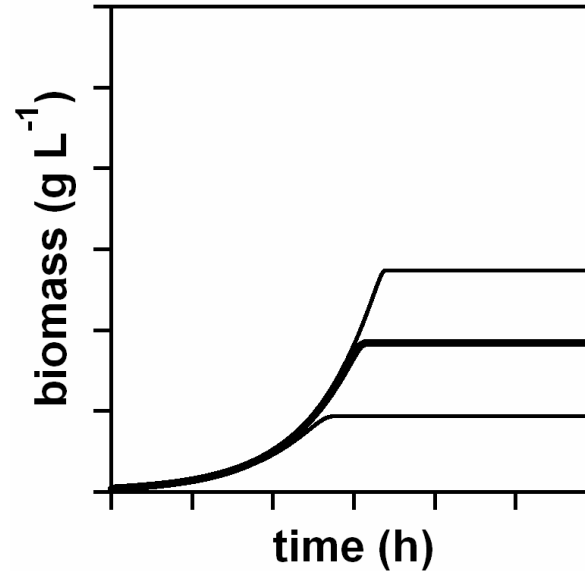
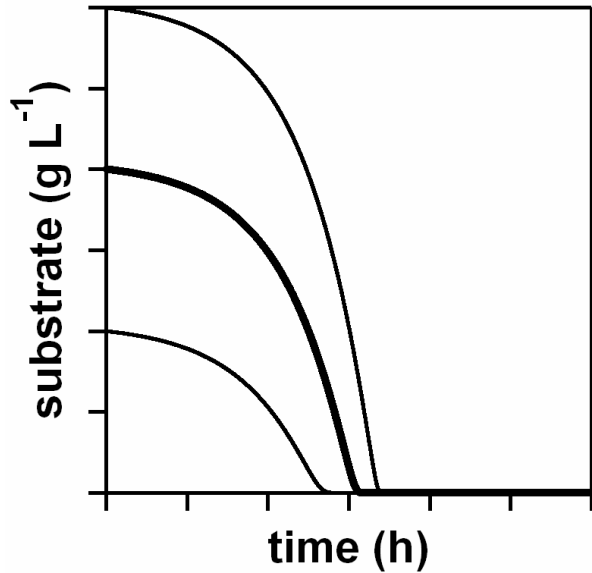
for $K_s \ll s(t)$

$$s(t) = s_0 - \frac{x_0 \cdot e^{\mu_{max} \cdot t} - x_0}{Y_{x/s}}$$

$$x(t) = x_0 \cdot e^{\mu_{max} \cdot t}$$

analytical solution

system of (dependent) differential equation – batch culture



$$\frac{d}{dt} s = -\frac{1}{Y_{x/s}} \cdot \mu(t) \cdot x(t)$$

$$\frac{d}{dt} x = \mu(t) \cdot x(t)$$

differential eqs.

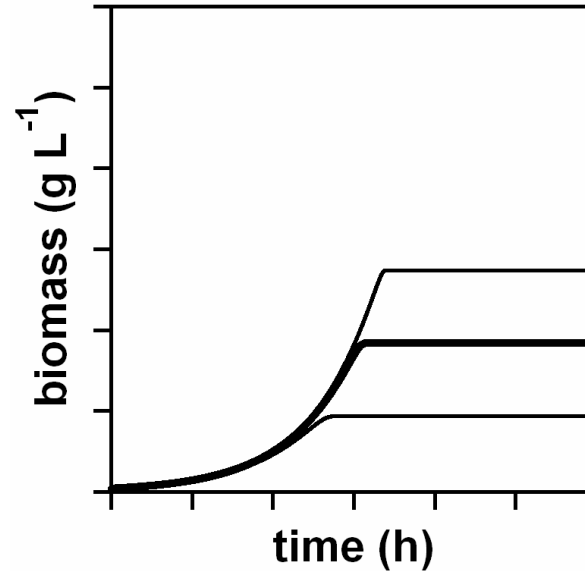
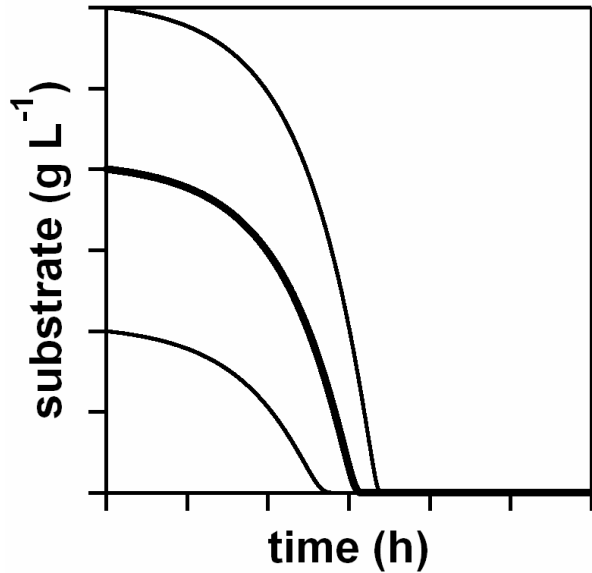
for $K_s \geq s(t)$

$s(t) = ?$

$x(t) = ?$

no analytical solution

system of (dependent) differential equation – batch culture



$$\frac{d}{dt} s = -\frac{1}{Y_{x/s}} \cdot \mu(t) \cdot x(t)$$

$$\frac{d}{dt} x = \mu(t) \cdot x(t)$$

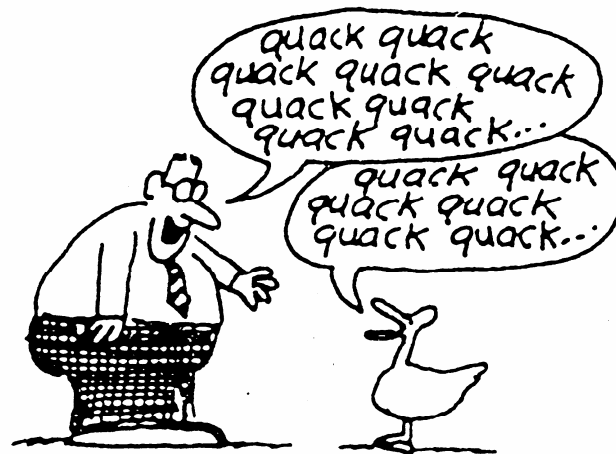
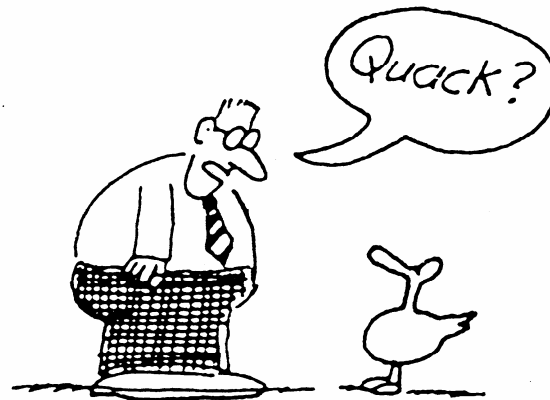
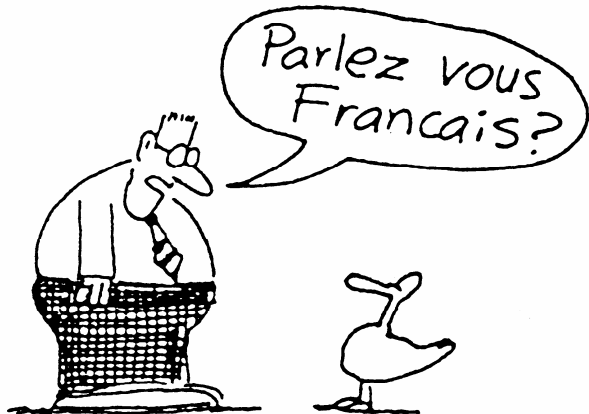
differential eqs.

for $K_s \geq s(t)$

$s(t)$ = numerical solution

$x(t)$ = numerical solution

simulation



Luzon



EN FR CZ DE

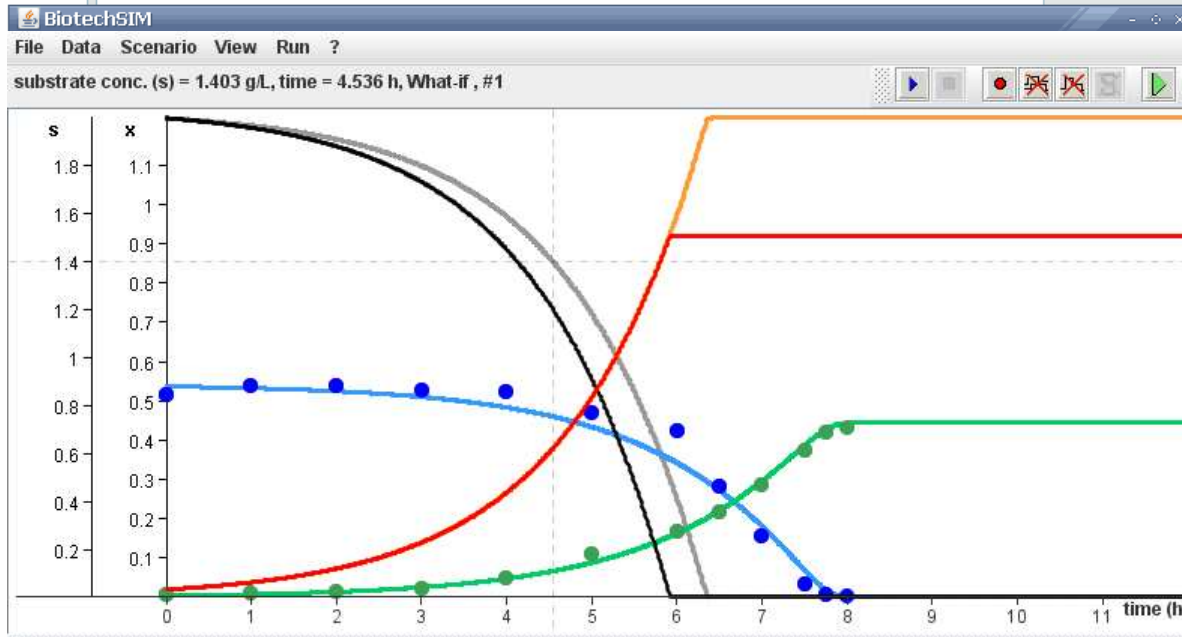
Exercise Find eBook

Exercise

Stichwörter GO

Course_BPT2_ZHAW
 Download - Course Materials

Course_ETHZ/UZH
 Download - Course Materials



Cultivation Systems

Continuous Culture Fedbatch Batch

Scenario	Model	s_0	x_0	V_0	K_s	k_d	μ_{max}	m_s	$q_{s,max}$	$Y_{x/s}$	μ	μ_{max}^*	r_s
What-if	ms kd	2	0.02	2.5	0.004	0	0.65	0	-	0.6	graph	-	gra
Adjust to exp. data	ms kd	0.88	0.004	2.5	0.04	0	0.65	0	-	0.5	graph	-	gra
manual data	unknown_	import	import	-	-	-	-	-	-	-	-	-	-
generic scenario #1	ms kd	2	0.02	2.5	0.004	0	0.65	0	-	0.45	graph	-	gra
generic scenario #2	qs	2	0.02	2.5	0.004	0	-	0	1.444	0.45	graph	0.65	gra
batch	ms kd	2	0.02	2.5	0.004	0	0.65	0	-	0.45	graph	-	gra
cell's death	ms kd	2	0.02	2.5	0.004	0.05	0.65	0	-	0.45	graph	-	gra

added value of e-learning



HELP 🖨️ | 🗑️

☰ | 1 | 2 | 3 | 4 | 5 | 6 | 7

Requirements

Stichwörter

☑ **Browser**

Das Internetangebot von BiotechLAB unterstützt die folgenden Browser:

- ◆ Internet Explorer 4 - 7
- ◆ Mozilla Firefox 1.x, 2.0.0.x
- ◆ Netscape 6 + 7
- ◆ Opera 6.x

☑ **Hardware**

☑ **Java**

Folgende Javaversion ist für den Betrieb von biotechlab.net nötig:

- ◆ JRE (Java Plug-in) 6 oder höher, am besten Sie installieren die aktuellste Version
-> [Download Java Runtime Environment \(JRE\) 6](#)

[Hinweise zur Java Installation](#)

[Trial version \(02.05.07\)](#)

[Trial version \(18.09.07\)](#)

[Trial version \(26.09.07\)](#)

[Trial version \(02.10.07\)](#)

mathematical models



„All models are wrong, but some are useful.“

G.E.P. Box

model predictive control – mathematical models

